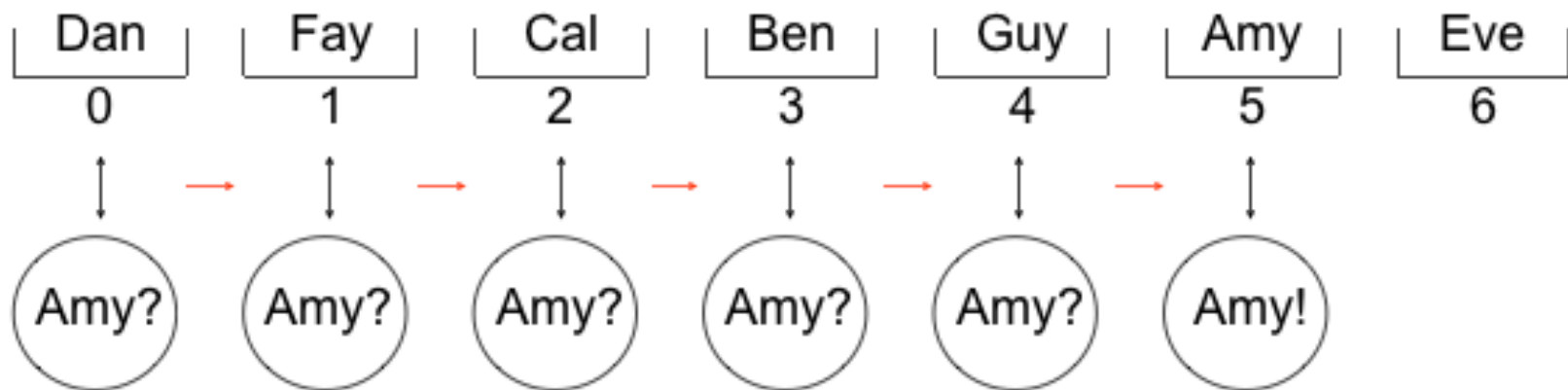


# Searching

- Sequential Search
- Binary Search

# Sequential Search

- Scans the list comparing the target value to each element.



# Sequential Search

- List does not need to be sorted.
- Worst case:  $n$  comparisons to find target or  $O(n)$  (where  $n$  = total number of elements).
- Average case: about  $n / 2$
- Best case: ????
- $n$  comparisons are needed to establish that the target value is not in the array.

# Binary Search

- The elements of the list must be arranged in ascending (or descending) order.
- The target value is always compared with the middle element of the remaining search range.
- We must have random access to the elements of the list (think: array or **ArrayList**).

# Binary Search

## Recursive method:

```
public Integer binarySearch (Integer [ ] arr, Integer value,
                             int left, int right)
{
    if (right < left)
        return -1;          // Not found

    int mid = (left + right) / 2;
    int compare = value.compareTo(arr[mid]); // costly!!!

    if (compare == 0)      // easy comparison
        return mid;

    else if (compare < 0)
        return binarySearch (arr, value, left, mid - 1);

    else // if (compare > 0)
        return binarySearch (arr, value, mid + 1, right);
}
```

# Binary Search

## Iterative method:

```
public Integer binarySearch (Integer [ ] arr, Integer value,
                               int left, int right)
{
    while (left <= right)
    {
        int mid = (left + right) / 2;
        int compare = value.compareTo(arr[mid]);

        if ( compare == 0 )        // value = arr[mid]
            return mid;

        else if ( compare < 0 )    // value < arr[mid]
            right = mid - 1;

        else                        // value > arr[mid]
            left = mid + 1;
    }
    return -1; // Not found
}
```

# Binary Search

- A “divide and conquer” algorithm.
- Works very fast: only 20 comparisons are needed for an array of 1,000,000 elements; (30 comparisons can handle 1,000,000,000 elements; etc.).
- We say that this is an  **$O(\log n)$**  algorithm.
- Max number of comparisons =  $\lfloor \log_2 n \rfloor + 1$

# Binary Search

Practice: Search for "Cal"

Amy

Ben

Cal

Dan

Eve

Fay

Guy